



Institut national  
de la santé et de la recherche médicale



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## Seamless Bayesian survival designs

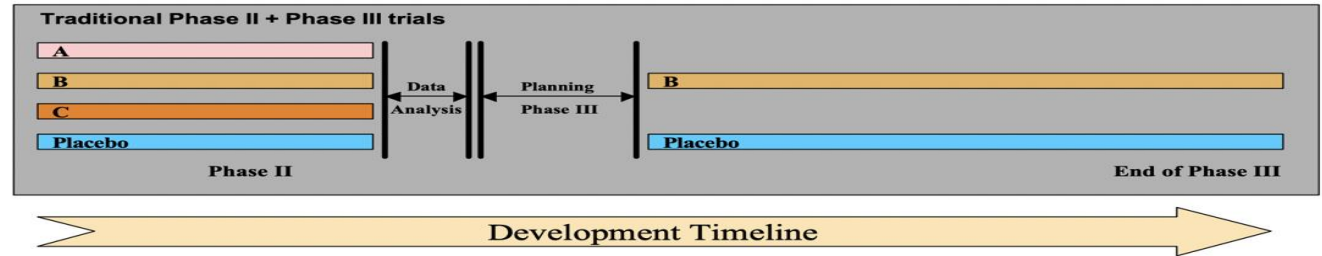
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Using dichotomized survival data to  
construct a prior distribution for  
Bayesian seamless phase II/III designs  
Application to Atalante-1 data



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# Reminder: Seamless Designs



## Seamless design

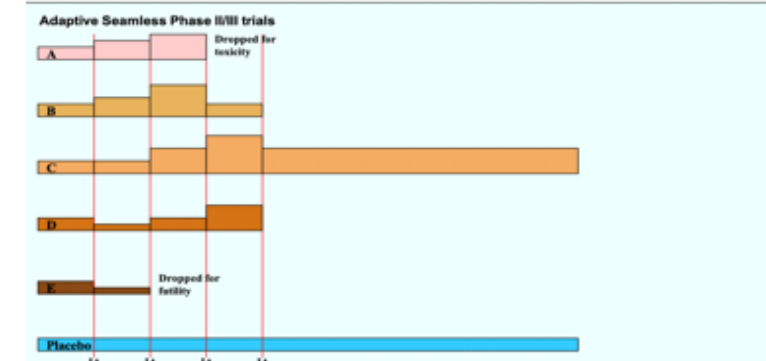
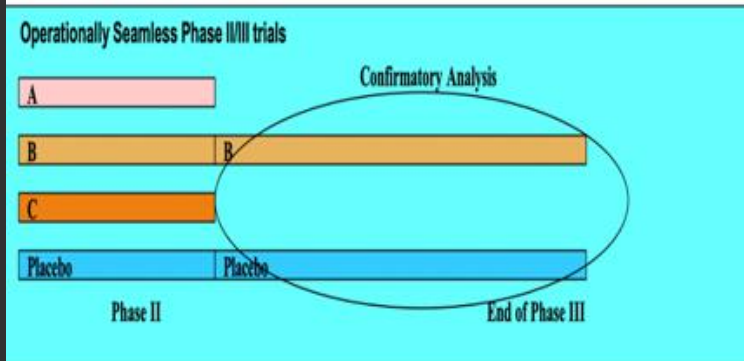
A design that combines into a single trial objectives that are traditionally addressed in separate trials. **Analyses are independent.**

### Operationally Seamless

## Adaptive Seamless design

A seamless trial in which the final analysis will use **data from patients enrolled before and after** the adaptation.

### Inferentially Seamless

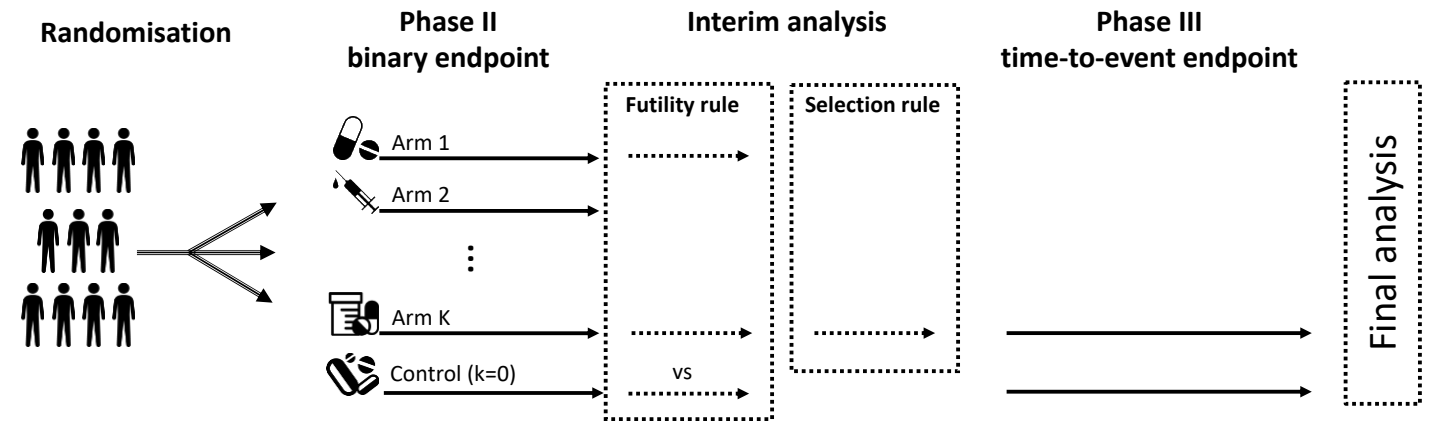


# Atalante-1

- ATALANTE study (NCT02654587) from OSE Immunotherapeutics
- RCT comparing the efficacy of OSE2101 (Tedopi) versus the Best Standard of Care in Non-Small-Cell Lung Cancer.
- Operationally Seamless with binary endpoint for the Phase II and overall survival for the Phase III
  - Fleming design for Phase II
  - Log-rank test for Phase III
- Study stopped during Covid-19 pandemic.
- Population of interest (POI) identified during Phase II analyses.
- New phase III study under discussion with EMA/FDA.

# Settings

- Bayesian Seamless (Phase II/III) Design with multiple treatment arms.
- Binary endpoint (Survival rate at 12 months) for the first stage and Time to event for the second one (Overall Survival).
- Objective:  
Find the optimal way to transfer information between Phases



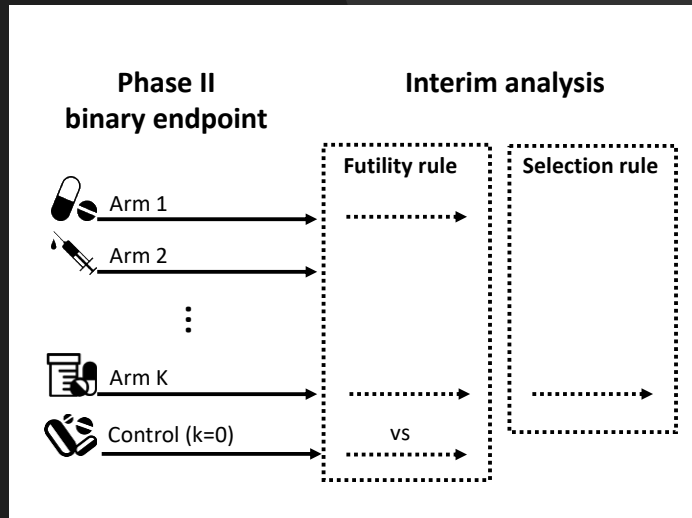
# Designs

- 4 Bayesian Designs:
  - Bayesian Inferential (data from all study is used in final Phase III analysis)
  - Bayesian Informative and non-Informative Operational (data from Phase II used for selection and to set prior distribution, then analysis is made with Phase III data only)
  - Non informative Operational Bayesian with Phase II data used in Weibull binary likelihood.
- 1 Frequentist method for comparison:
  - Frequentist Operational seamless with Weibull regression as final test.

# Model and Design

## Step 1 – Interim Analysis

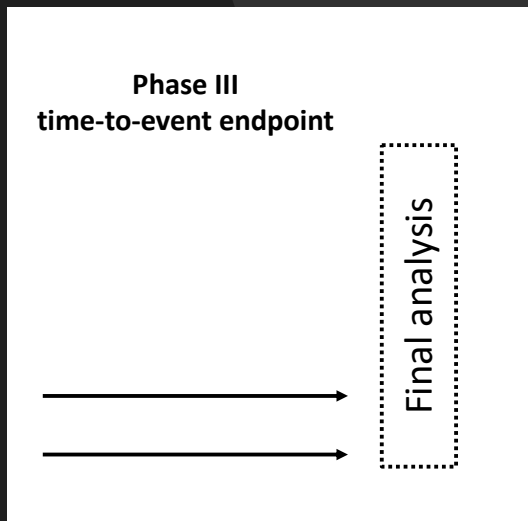
- K treatment groups simultaneously compared to a common control group (k=0).
- Phase II: for each group we get the number of survivors at one year.  $y_{ik}^* = 1$  if t > 12 months  
 $\sum y_{ik}^* \sim \text{Bin}(n_k, p_k)$
- $p_k = \text{logit}^{-1}(\theta_k)$ , with  $\theta_k = \theta_0 + \mu_k$   
with  $\theta_k \sim N(0,10)$
- Interim analysis: selection of the best arm with posterior predictive probabilities after a threshold futility step



- Futility: Stop if  $P(p_k > p_0) < \tau_1$
- Selection:  $\int p(y_{\{i+1,k\}} | p_k) \pi_{post}(p_k | y_k) dp_k$

# Model and Design

## Step 2 – Final analysis



- Weibull shape and scale distribution for both group with common shape.
  - $f(t|\alpha, \gamma_k) = \frac{\alpha}{\gamma_k} \left(\frac{t}{\gamma_k}\right)^{\alpha-1} \exp\left(-\left(\frac{t}{\gamma_k}\right)^\alpha\right)$
  - Treatment regression covariate introduced with  $\beta_k = \log(\gamma_k)$
- Final claim based on  $\Delta = \beta_1 - \beta_0$   
 $\beta_k \sim N(\mu_k, \sigma_k)$ , with  $\sigma_k$  being tuned given the design. (i.e.,  $\sigma_k \sim 1$  for non informative and is set up for informative)
- Treatment declared better than control if  $P(\Delta > 0) > 97,5\%$

# Transfer of Interim information

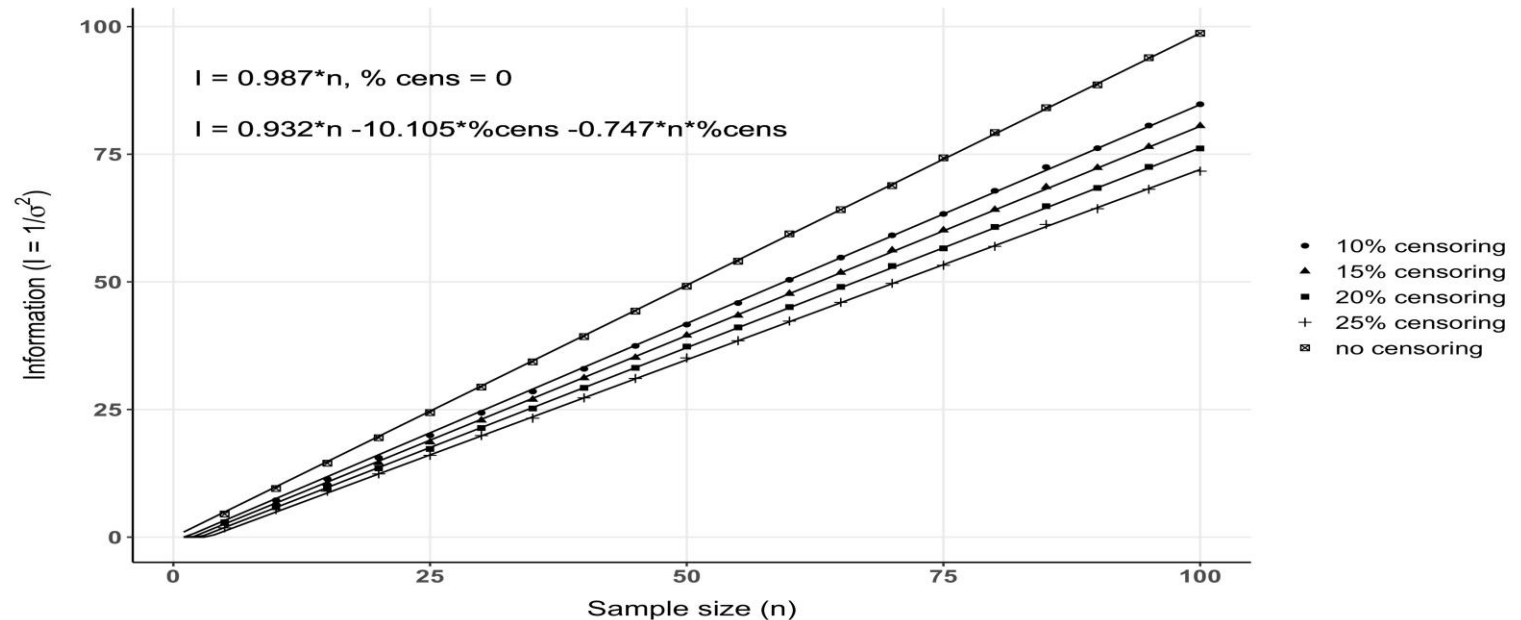
Two methods:

- To create an informative prior distribution with the data available at Interim, we use

$$\pi(\beta_k)_{k=0,1} = N(\mu_k, \sigma_k)$$

$$\mu_k = \log \left( \frac{-t^*}{\log(\tilde{p}_k)^{1/\tilde{\alpha}}} \right).$$

- And sigma computed as the graph





# The “likelihood approach”

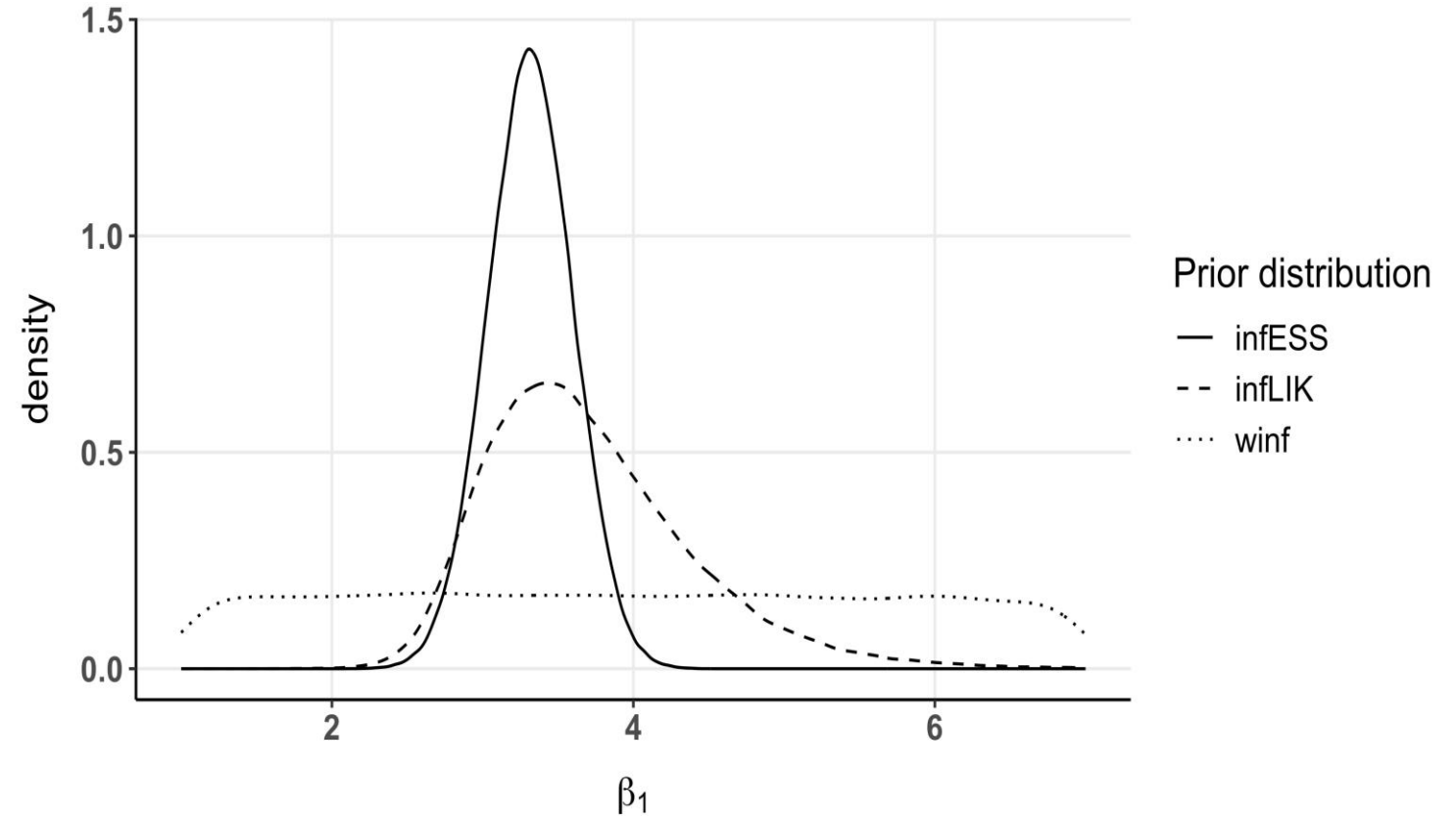
In the second method called the « likelihood » approach, interim information is not transferred through prior distribution of  $\beta$ :

- We use a joint prior distribution for  $\alpha, \beta_0, \beta_1$  that is computed using a Weibull binary likelihood

$$\pi(\alpha, \beta_0, \beta_1) \propto \prod_{\bar{k}=0}^1 S(t^* | \alpha, \exp(\beta_{\bar{k}}))^{y_{\bar{k}}} (1 - S(t^* | \alpha, \exp(\beta_{\bar{k}})))^{n_{\bar{k}} - y_{\bar{k}}} \pi(\alpha) \pi(\beta_{\bar{k}})$$

- Marginal prior distributions of  $\alpha, \beta_0, \beta_1$  are set non informative

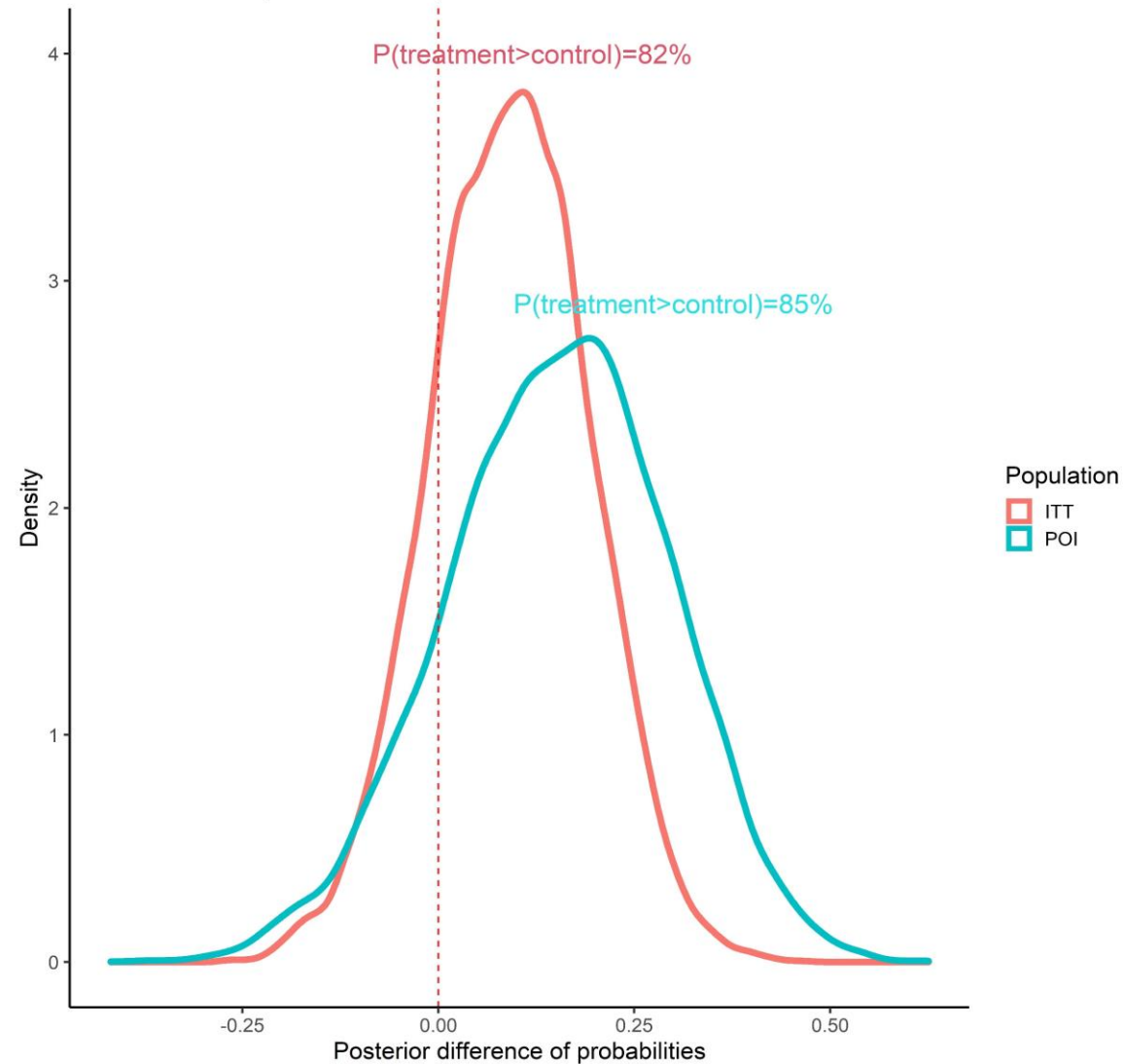
# Example of prior distributions obtained



Marginal prior distribution using Phase II data for treatment arm from one simulated study. InfESS is computed with  $n=17$  patients analyzed at Phase II and a censoring rate of 14%

# Interim analysis

Difference in 1 year survival probabilities between Treatment and Control



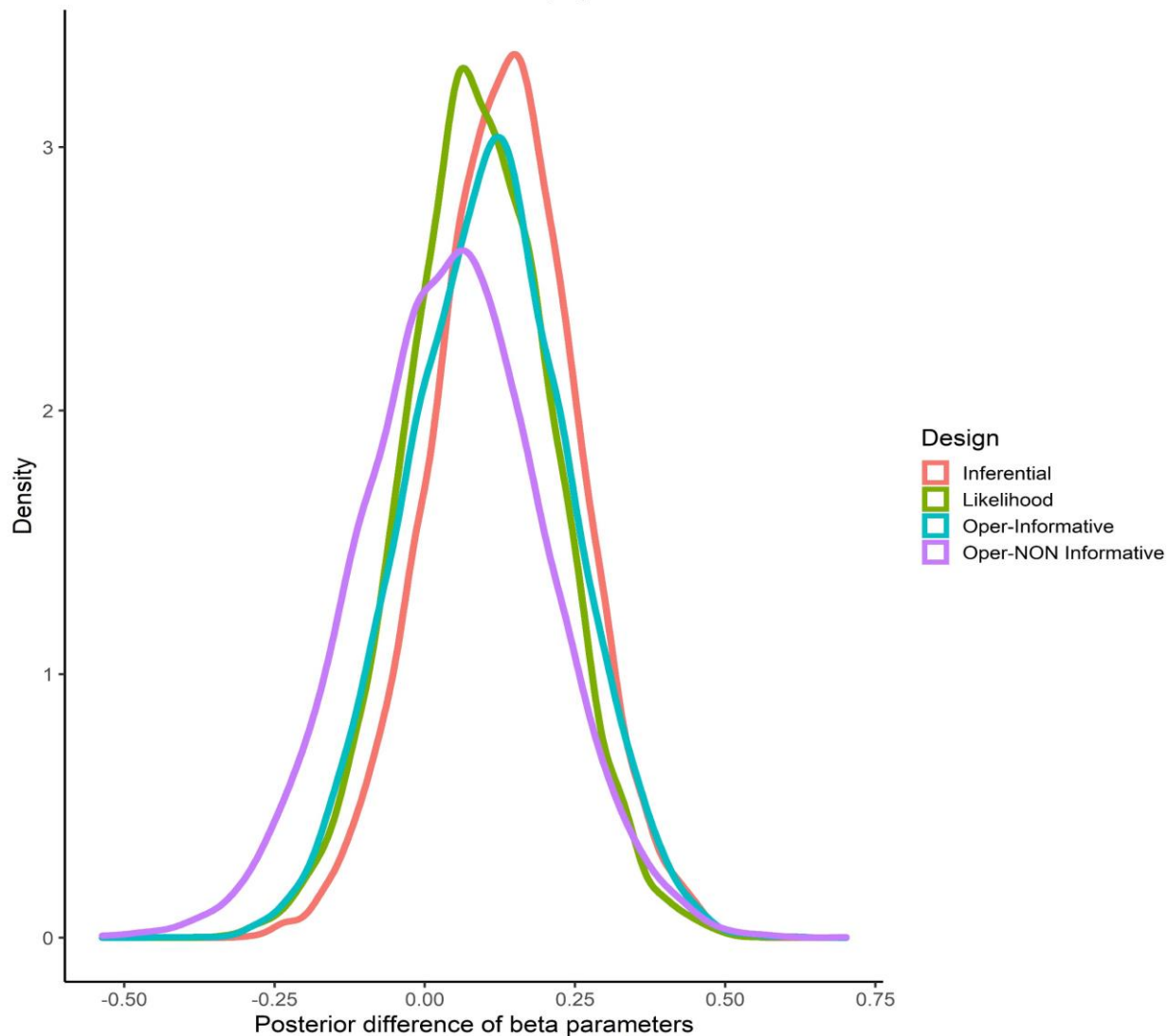
## Frequentist Analyses

Design	P(survival control)	P(survival treatment)	Probability Difference
ITT	36%	45%	9%
POI	33%	49%	16%

- P(survival) :
  - Frequentist : observed probability of survival at 1 year (nsurv/n)

# Final Analysis ITT

Survival Posterior difference on ITT population

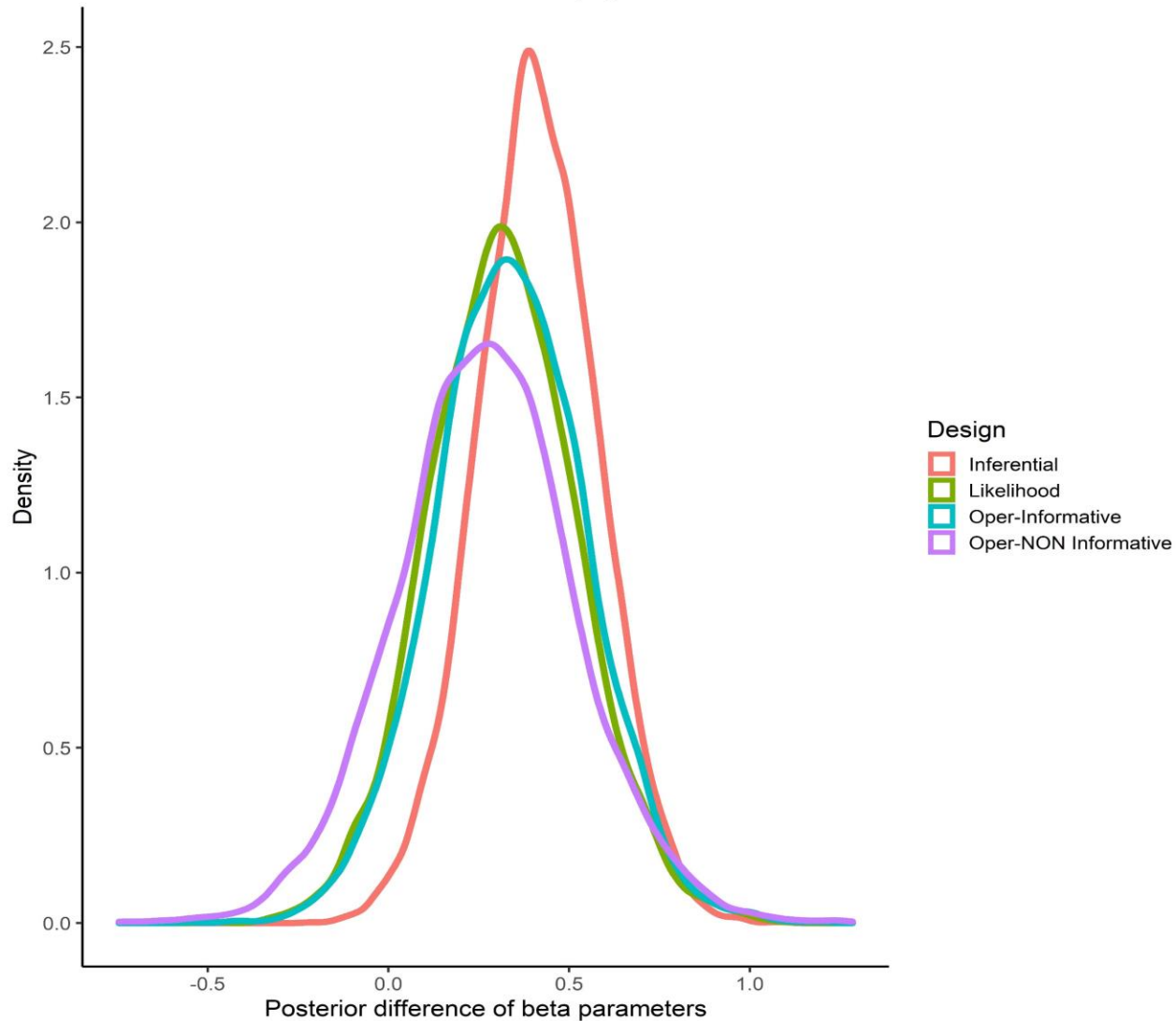


Design	Mean $\beta_0$	Mean $\beta_1$	P( $\beta_1 - \beta_0 > 0$ )
Inferential	2,42	2,55	86%
Likelihood	2,35	2,47	77%
Operational info	2,36	2,47	77%
Operational non info	2,32	2,37	61%

- Operational Frequentist analysis with Weibull regression : p-value = 0,38
- Log-rank test : p = 0.36

# Final Analysis POI

Survival Posterior difference on POI population



Design	Mean $\beta_0$	Mean $\beta_1$	$P(\beta_1 - \beta_0 > 0)$
Inferential	2,30	2,71	99,2%
Likelihood	2,34	2,65	94,3%
Operational info	2,38	2,64	94,8%
Operational non info	2,31	2,57	87%

- Operational Frequentist analysis with Weibull regression: p-value = 0,13
- Inferential Log-rank test: p= 0.017

# Discussion

- Atalante-1 confirms results of simulated analyses\*
- Bayesian analyses allows to use more information, but type I error must be checked (simulation study).
- Extension of the method to subpopulation analysis.
- Using Bayesian statistics in primary analyses is challenging during scientific advices discussions.

\*Using dichotomized survival data to construct a prior distribution for Bayesian seamless phase II/III designs  
Submitted in June 22.